

between past and future time. He further thought time and motion are intra-related but are not the same. Several centuries later, Philosopher Thomas Aquinas wrote that Aristotle could not be right; the NOW cannot be a boundary between past and future and define time because a boundary has only one point on the timeline; thus, it has no duration. Thus, it cannot define time. Further, a boundary, a point in time, does not exist as time on the timeline, and if past and future time does not exist, then time also does not exist. Aristotle's concept of NOW of time and Thomas's criticism is our clue to the abstract geometry of NOW time.

Humans generally recognize that space and time are different properties of Nature; objects can stand still in space but not in time, or objects can move about at will in space but not in time. To implement the new time, we will imagine it in a unique "one-dimensional space" called time-space, independent of configuration space. All properties of time are properties of time-space, which has one unit, "second," and anything constructed by seconds, such as frequency. Furthermore, when connecting time-space and spacetime, time is linked to every point in space and is everywhere but is only meaningful when associated with physical objects. From a philosophical perspective, the NOW moves with physical objects as if attached. Therefore, all physical objects, conscious beings or cannonballs, always have a NOW.

The main difference is that the NOW time premise has a flow of time dependent on external influences; Arguing that the flow of time is relative, as Galileo had argued for space, eliminates the conundrum of measuring the time flow rate [11]. Locally, on Earth, the flow of time is a constant, analogous to Galileo's vision of the compartment on a moving ship, with no port holes to view the outside world. All we know of the world has been developed on, or near, Earth: theories, experiments, and astronomical observations. All adhere to Newton's mathematical time with a constant flow rate independent of anything external. Therefore, once the physical time is defined, its flow is compared to the flow of time on Earth. An actual flow rate is not necessary.

Physical time called NOW, is an abstract entity and cannot be directly measured, but when combined with measurable physical items, it can influence the physical world [3]. We envision the NOW as a circle in an abstract embedding space, hereafter called the time circle. The time circle has a radius defined as the reciprocal of an angular frequency, ω^{-1} , so the time circle circumference C has units of second and is given by

$$C = 2\pi \frac{1}{\omega} = \frac{1}{\nu} \tag{1}$$

The time circle is tangent to the mathematical timeline at the boundary of the past and future, as Aristotle imagined, and as shown in Figure 1(a). So, it has one measurable point on the timeline but can have a defined duration. The duration we envisioned as a Time-Point (TP) on the circumference of the time circle; we further imagine (TP) traveling continually around the circle, never beginning, never-ending, at a constant rate independent of anything external, as Newton imagined for the flow of time. Still, the TP is different from the flow of time but provides the motion important to Aristotle's

philosophy. Being an abstract item, the movement of the TP is not measurable except for the single boundary point where it couples with mathematical time, the measurable world. The period of the TP defines the minimum possible physical duration and controls the tick rate of attached clocks. Einstein imagined there exists for individuals an l-time or subjective time. These times are not measurable. In that respect, Einstein's l-time and the NOW are the same; they are not measurable, with the single point exception [13]. This configuration of physical time satisfies both Aristotle's and Thomas Aquinas's philosophies.

The configuration of NOW time, as seen in Figure 1(a), has a two-fold symmetry, that allows for time reversal. The time circle and the TP are constant and unchanged, never beginning and never-ending; thus, it cannot be reversed. However, without altering its operation, we imagine the NOW time circle shifted to the position seen in Figure 1(b) and pushed whatever has been experienced during its period onto the Future, as depicted by the TP arrow, thus moving time backward (This has an effect on antimatter; Feynman ref. and Stueckelberg ref. have interpreted antimatter and matter as being identical, except antimatter moves backward in time [15,16]. Figures 1(a) and 1(b) suggest that when matter and antimatter come into contact, thus becoming one entity, the Past and the Future are the same, and thus the combined NOW ceases since time cannot stand still, so the physical objects cease to exist. What is measurable is a photon, or equivalent, that carries away the energy and momentum with its own NOW moving forward in time.)

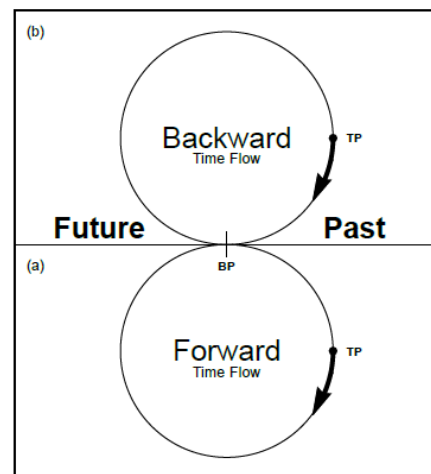


Figure 1) The time circle has duration yet has only one point on the past and future mathematical line. The constant rate of the TP never begins or ends. What physically happens during the NOW's period remains abstract until the TP reaches the boundary point, BP, then becomes measurable and is moved into the past of mathematical time as shown in 1(a).

The circumference of the time circle is defined, in (1), by a frequency, so the minimum physical period of the NOW can change due to the influence of external physical frequencies. What frequency does Nature use? Nature has an infinite variety of frequencies, but all are intimately related to compound quantities in space-time, such as the speed of light, momentum, and energy; they are not part of time-space.

Nature has one frequency removed from space-time quantities; the

number of photon quanta, a unit-less number, that flows from bright objects and has a unique frequency for each bright source. The number of photons is a multi-valued function of frequency. However, there is one point, or frequency, at which the number of photons is unique, that is, the peak frequency of a Spectral Energy Distribution (SED), at a given temperature. Therefore, we argue that the peak frequency of the SED determines the local flow rate by changing the time duration of the circumference of the time circle, measured in seconds.

Since the rate of the TP is constant, the period of the NOW changes as a time circle experiences the light of bright sources. In this implementation, the rate of the flow of time on Earth depends upon the SED for the Sun's surface temperature. On Earth, the peak frequency of the SED of the Sun is $\nu_{\odot} = 3.498 \times 10^{14}$ Hz, and the minimum physical period of the TP is $\tau_{\odot} = 2.943 \times 10^{15}$ seconds. With this definition, we can now define a relative flow of time. The Sun is the reference to the time flow anywhere in the universe. It is reasonable since all known physics, theories, experiments, and observations are at a constant flow rate in the Solar system. We measure the Astrophysical or Cosmological properties of the universe from Earth. It is necessary to know the NOW time flow at the distant location. The Transformation Factor (TFF) is the effective temperature of the closest or brightest SED at the studied location. Since the NOW represents a minimum physical time τ . Then in the application of measurements or theories, the differential of time is the essential link to measurable physics at distant locations, so

$$dt_{location} = dt_{\oplus} \frac{\tau}{\tau_{\odot}} \quad (2)$$

Where τ_{\odot} is in the Sun system and dt_{\oplus} measured on Earth, whereas τ is the physical period of the NOW at the distant location of interest, the flow rate of time, ζ at the different locations, is referenced to the flow rate in the Sun system. Life forms on systems around different stars will have a different

$$\zeta = \frac{\nu}{\nu_{\odot}} \quad (3)$$

Where $\nu = \tau^{-1}$ and is the peak frequency of a SED at the location understudy and referenced to the SED peak frequency of the Sun. Determining the minimum duration τ at another location, the circumference of the time circle (1), is involved.

$$\zeta \times \tau = C = \frac{1}{\nu} \quad (4)$$

so that

$$\tau = \frac{\nu_{\odot}}{\nu^2} \quad (5)$$

Then the transformation period τ becomes

$$\xi = \frac{\tau}{\tau_{\odot}} = \left(\frac{\nu_{\odot}}{\nu} \right)^2 \quad (6)$$

The transformation is as follows when transforming time derivatives: for physical calculations, the time derivative cannot be carried to the limit of $dt \rightarrow 0$, as taught in mathematics. Physical calculations must define at $dt \rightarrow \tau$. Therefore, in physical calculation time derivatives, we have

$$\frac{df}{dt} = \frac{df}{dt_{\oplus} \xi} = \frac{df}{dt_{\oplus} \left(\frac{\tau}{\tau_{\odot}} \right)} = \frac{df}{dt_{\oplus}} \left(\frac{\nu}{\nu_{\odot}} \right)^2 \quad (7)$$

However, as discussed above, all physics is developed on Earth. Therefore, multiplying the transformation (6) by the time differentials translates the time flow rate on Earth to the flow rate at the locations where the action is taking place. When the observed action occurs on Earth, $\xi=1$ as seen from (6). Based on the Effective temperature of the distant SED, the peak frequency is $\nu_{peak} = k \times T_{eff}$, where $k = 5.8802 \times 10^{10} \text{ Hz}/^{\circ}\text{K}$.

Which then defines a transformation factor TFF as

$$TFF = \left(\frac{T_{eff}}{T_{\odot}} \right)^2 \quad (8)$$

T_{eff} is the best estimate of the SED temperature of distant bright bodies, and TFF is the relative flow of time at a distant location with respect to the flow of time on Earth.

Finally, Newton's mathematical time, t , can be recovered from this implementation of physical time; with one difference, the flow of time is no longer independent of external influences. Counting the number of rotations, n , of the TP each time it passes the tangent point, the TP becomes the pendulum of all clocks in the solar system and, by transformation, to all clocks anywhere in the universe. Newton's mathematical time in the Sun system is

$$t = n\tau_{\odot} \quad (9)$$

So, in practice $t = n2.943 \times 10^{15}$ seconds on Earth. During a 24-hour day, the TP rotates 2.936×10^{19} times. Finally, substituting physical time (9) into spacetime, nothing in physics changes in the solar system. However, in the cosmos, many of the unexplained effects disappear.

1.3 What happens as the TP travels on the time circle, and how long is the NOW

During the TP's travel, starting at the boundary point and returning to that point, what is happening is not physical but is abstract. Then when the TP completes the circuit and reaches the boundary point, the abstract memory becomes real memory and is "pushed" onto the Past timeline, as depicted by the arrow shown in Figure 1(a).

1.3.1 The length of the NOW can be explained by two examples:

Example1: Imagine two people are communicating on the telephone. The conversation begins when the TP is at the tangent point on their respective time circles. For both parties, the NOW exists. At the end of each circuit, that part of the conversation enters the physical past timeline for each party, and the conversation continues. The NOW continues as long as the conversation continues. The conversation ends when the TP is at the tangent point; at this point, the conversation has wholly flowed into the past timeline for both parties. If the parties are far apart, there will be silent spaces in the past timeline for as long as it takes light to traverse the distance.

Example2: NOW "recording" events that do not involve conscious beings. Imagine a comet impacting the Earth; as discuss above [2]. The "Earth's NOW" begins upon impact and continues uninterrupted, constantly passing information from the NOW to past

time, as long as the collision's debris settles on the Earth. Being an abstraction, the NOW can be associated with any physical entity, in this case, the geology of the entire Earth.

1.4 Locating a time circle in space

To locate the time circle in space. Equation (9) defines Newton's recovered mathematical time, so spacetime still applies. Spacetime is unaltered with one exception as the timeline moves through space, the brightness at each point can change; thus, the time flow rate can change along its path. Determining a time circle at a distant location requires a theoretical model. The model allows the user to determine the brightness that affects the particular NOW. The NOW does not require the model; it simply responds to the brightness. The theoretician can use astronomical magnitude calculations.

$$m_i = -2.5 \text{Log}_{10} \left(\frac{L_g}{4\pi d_g^2} \right) + \text{constant} \quad (10)$$

Here L_g is the luminosity of that bright source, and the distance d_g is from the bright source to the NOW of interest. In theory, the user can determine the flow rate for any location in space-time. The astronomical apparent magnitudes are employed, and the sum of all bright objects in the universe gives the magnitude m at the point of interest.

$$m = -2.5 \text{Log}_{10} \left(\sum_i^{\infty} 10^{-0.4(m_i)} \right) \quad (11)$$

Which generally will reduce to one or a few terms; in practice, we choose a few of the closest bright objects. The user compares the Sun's apparent magnitude to the apparent magnitude m_i for each source.

$$m_i - m_{\odot} = -2.5 \text{Log}_{10} \left(\frac{L_i}{L_{\odot}} \left(\frac{d_{\odot}}{d_i} \right)^2 \right) \quad (12)$$

Where L_i is the luminosity of the i^{th} distant bright object and d_i is the distance from the i^{th} bright object to the NOW of interest. Then the magnitude m in (11), determines the peak frequency of the effective SED and, thus, the flow of time at that location given by

$$m - m_{\odot} = -2.5 \text{Log}_{10} \left(\frac{L}{L_{\odot}} \left(\frac{d_{\odot}}{d} \right)^2 \right) \quad (13)$$

The distance d_{\odot} is the distance from the Earth to the Sun, and d is the distance from the Earth to the location of the NOW, i.e., the luminosity that determines the rate of time is then given by

$$L = L_{\odot} \left(\frac{d}{d_{\odot}} \right)^2 10^{-0.4(m-m_{\odot})} \quad (14)$$

Then the temperature T_{eff} of the effective SED represented by m is

$$L = 4\pi r_s^2 \sigma T_{\text{eff}}^4 \quad (15)$$

The radius r_s is the effective radius of a sphere that encloses the bright object, and σ is the Stefan-Boltzmann constant.

With physical time defined, we now focus on apparent anomalous effects in current cosmological models.

2. Theories Affected by Time Flow

In this section, we look at all the theories that involve time derivatives.

2.1 Classical Electrodynamics

Consider Maxwell's equation in free space [6]

$$\nabla \cdot \mathbf{E} = 0 \quad (16)$$

$$\nabla \cdot \mathbf{H} = 0 \quad (17)$$

$$\nabla \times \mathbf{E} = -\mu_0 \frac{\partial \mathbf{H}}{\partial t} \quad (18)$$

$$\nabla \times \mathbf{H} = -\epsilon_0 \frac{\partial \mathbf{E}}{\partial t} \quad (19)$$

Both Faraday's law and Ampere's law involve time derivatives. Therefore, according to (7), the flow of time will influence them. The NOW affects the two equations with time derivatives. These equations are transformed to the distant location and given by

$$\nabla \cdot \mathbf{E} = 0 \quad (20)$$

$$\nabla \cdot \mathbf{H} = 0 \quad (21)$$

$$\nabla \times \mathbf{E} = -\mu_0 \frac{\partial \mathbf{H}}{\partial t} TFF \quad (22)$$

$$\nabla \times \mathbf{H} = -\epsilon_0 \frac{\partial \mathbf{E}}{\partial t} TFF \quad (23)$$

Since the fields \mathbf{E} and \mathbf{H} are assumed to be abstract quantities as discussed in ref, once the differential equation establishes the fields, they cannot be altered until they undergo another interaction, i.e., \mathbf{E} and \mathbf{H} cannot be measured until they are part of the measurable universe by combining them in some way with measurable quantities [3]. The mathematical transformation being part of the measurable universe can only affect physically measurable quantities. Therefore, the transformations affect the physical constants, permittivity ϵ_0 , and permeability μ_0 , not the fields in (22) and (23). Therefore, we get

$$\epsilon_0 \Rightarrow \epsilon_{0\odot} TFF \quad (24)$$

$$\mu_0 \Rightarrow \mu_{0\odot} TFF \quad (25)$$

It then follows that the speed of light at the distant location is modified from the value measured in the solar system as follows

$$c = \frac{1}{\sqrt{\epsilon_{0\odot} \mu_{0\odot} TFF^2}} \quad (26)$$

With the introduction of the NOW of time, the speed of light is not a universal constant

$$c = c_{\odot} \left(\frac{1}{TFF} \right) \quad (27)$$

It depends on the local flow of time and can change continuously along the timeline in space-time, depending on the universal brightness at each point.

2.1.1 An example of the rate of a photon traveling from a distant galaxy to Earth: Current physics assumes that the speed of light is a universal constant. Physical time suggests otherwise, as seen in (27). Along its path, the photon and the local NOW move together. Thus, the speed of light varies. Figure 2 shows an example where a photon leaves a distant galaxy, and travels in a straight line to Earth, 100 Mpc away

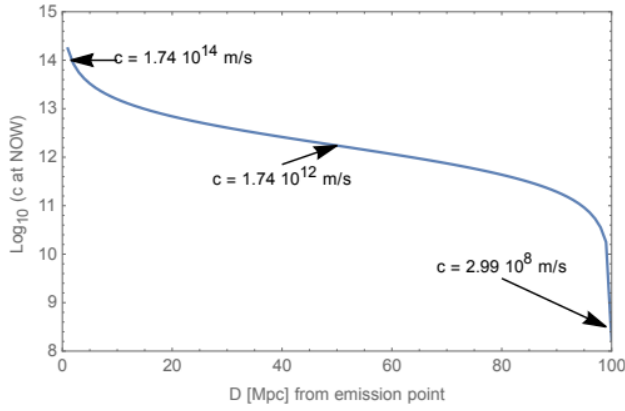


Figure 2) The variation of the speed of light at different points along its path. The emission point is 100 Mpc from the Earth. In this calculation, the brightness seen by the photon's NOW combines the emission galaxy and the sun and changes along the photon's path to the Earth. The emitting galaxy is assumed to have a radius of 20 Kpc and a luminosity of 2.9×10^{10} times the Sun's $L_{\odot Bolo}$.

The speed of light at the emission point is 1.74×10^{14} m/s at emission. As the photon progresses, the effect of the galaxy diminishes, and the effect of the Sun increases as indicated by (11), giving a value of 1.74×10^{12} m/s at the halfway point and the expected value at the Sun-Earth system. All bright sources influence the photon, but only the closest significantly influence the speed of light (Should superluminal phenomena exist and not violate causality, how they would be affected by the NOW of time is unknown; such speculation is beyond the scope of this work) [17].

2.2 Quantum mechanics and the energy of atomic elements

The wave function in Schrodinger's equation ref is time dependent and given by [8,3]

$$H\Psi(x_\alpha, t_\odot) = i\hbar \frac{\partial \Psi(x_\alpha, t_\odot)}{\partial t_\odot} \quad (28)$$

Where H is the Hamiltonian of the system and $\Psi(x_\alpha, t_\odot)$ is the wavefunction as a function of space x_α , and mathematical time t_\odot , and \hbar is Planck's constant. The time dependence can be removed by defining $\Psi(x_\alpha, t_\odot) = \phi(x_\alpha) \Psi(t_\odot)$

Then (28) becomes two equations

$$H\phi(x_\alpha) = E_\odot \phi(x_\alpha) \quad (29)$$

$$i\hbar \frac{\partial \Psi(t_\odot)}{\partial t_\odot} = E_\odot \Psi(t_\odot) \quad (30)$$

When an atomic system at a distant location is observed, the time derivative (30) is transformed to the location yielding

$$i\hbar \frac{\partial \Psi(t_\odot)}{\partial t} TFF \Rightarrow (E_\odot TFF) \Psi(t_\odot) \quad (31)$$

As noted above, since the wave function is a probability amplitude field, it is an abstract quantity [8, 3]. The transformations are only applied to measurable quantities. Therefore, the energy is transformed. The energy levels of atomic elements at the distant

location are

$$E = E_{lab} TFF \quad (32)$$

2.3 RedShift determined from atomic spectra

A redshift is essential for studying the universe. If the quantum energy levels are different at distant locations, the RedShift will also be different. When spectral lines are observed and measured, the observed frequency, or wavelength, is evaluated against the emission of the line observed on Earth, usually called the rest-frame frequency or wavelength. The NOW theory provides a means to distinguish possible discordant effects from Doppler effects.

Atomic transitions from state m to state n, using (32) is

$$E_{*,m,n} = -E \left(\frac{1}{m^2} - \frac{1}{n^2} \right) TFF \quad (33)$$

Where E contains only the fundamental constants and $m > n$. The frequency of the emitted photon at the distant location is

$$V_{*,m,n} = \frac{E_{*,m,n}}{h} \quad (34)$$

Therefore, the redshift z for the distant spectra is

$$Z = \frac{v_{Lab,m,n} TFF - v_{\odot obs}}{v_{\odot obs}} \quad (35)$$

and $v_{\odot obs}$ is the frequency of the same spectral emission line on Earth; this gives

$$z + 1 = \frac{v_{Lab,m,n} TFF}{v_{\odot obs}} \quad (36)$$

The emission frequency is distant, but the observed frequency is measured on Earth. Therefore, the Transform factor can be obtained from the Redshift, and frequencies measured on Earth are related to the RedShift frequencies measured on Earth. Then the effective temperature T_{eff} and the radiating object's luminosity, L, are directly measured from the Redshift.

$$TFF = (z + 1) \frac{v_{\odot obs}}{v_{Lab,m,n}} \quad (37)$$

$$T_{eff} = T_\odot \left((z + 1) \frac{v_{\odot obs}}{v_{Lab,m,n}} \right)^{1/2} \quad (38)$$

$$L = a\sigma T_\odot^4 \left((z + 1) \frac{v_{\odot obs}}{v_{Lab,m,n}} \right)^2 \quad (39)$$

where a is the area of the radiating object and σ is the Stefan Boltzmann constant.

2.4 Special relativity

The NOW will affect the Lorentz equation in Special relativity and General relativity since relative velocity and the speed of light are involved in both [7]. In Special relativity, the gamma factor becomes

$$\gamma = \frac{1}{\sqrt{1 - \left(\frac{v}{c_\odot} \left((z + 1) \frac{v_{\odot obs}}{v_{Lab,m,n}} \right)^4 \right)}} \quad (40)$$

Where the velocity v is measured from Earth but is physically occurring at a distant location. The Lorentz transformations viewed near a distant star become

$$X = \gamma(X_{\odot} - v_{\odot}(z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}} - n_{\odot} \tau_{\odot}) \quad (41)$$

$$n \tau = \gamma(n_{\odot} \tau_{\odot} - \frac{X_{\odot} v_{\odot}}{(c_{\odot})^2} ((z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}})^3) \quad (42)$$

X_{\odot} are the space coordinates measured in the Earth reference frame and X is in a reference frame at the distant location. Similarly, n is the number of complete rotations of the TP, and τ is the period of the TP at the respective reference frame, the velocity v_{\odot} measured on Earth.

2.5 General relativity

The line element when the speed of light is explicitly shown in the time term, is unchanged at all distances [7,9]. This happens because the correction to the speed of light comes from the permittivity and permeability, shown in (24) and (25), which cancels the transformation for the time differential. Furthermore, time used in general relativity is Newton's mathematical time measured by clocks, as given in (9), therefore,

$$ds^2 = g(r,r)dr^2 + g(\theta,\theta)d\theta^2 + g(\phi,\phi)d\phi^2 + g(t,t)c_{\odot}^2 dt_{\odot}^2 TFF^4 \quad (43)$$

$$ds^2 = g(r,r)dr^2 + g(\theta,\theta)d\theta^2 + g(\phi,\phi)d\phi^2 + g(t,t)c_{\odot}^2 dt_{\odot}^2 ((z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}})^4 \quad (44)$$

If the line element is written as the proper time $d\tau^2$ then the time flow is visible in the line element

$$d\tau^2 = (dt_{\odot}^2 - \frac{g_{r,r}dr^2}{c_{\odot}^2} - (\frac{g(\theta,\theta)d\theta^2}{c_{\odot}^2} + \frac{g(\phi,\phi)d\phi^2}{c_{\odot}^2})) \times ((z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}})^2 \quad (45)$$

Consider, for example, the Schwarzschild solution

$$g_{(r,r)} = (1 - \frac{2GM}{rc_{\odot}^2} ((z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}})^2) \quad (46)$$

$$g_{(t,t)} = (1 - \frac{2GM}{rc_{\odot}^2} ((z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}})^2) \quad (47)$$

$$g_{(\theta,\theta)} = \frac{r^2}{c_{\odot}^2} ((z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}})^2 \quad (48)$$

$$g_{(\phi,\phi)} = \frac{r^2 \sin^2(\theta)}{c_{\odot}^2} ((z+1) \frac{v_{\odot abs}}{v_{Lab,m,n}})^2 \quad (49)$$

The metric tensors are corrected for the speed of light.

2.6 Redshift determined from Cosmological considerations

To examine the expansion of space, the Robertson-Walker metric is used [18]

$$d\tau^2 = dt^2 - \frac{a^2}{c^2} (\frac{dr^2}{1-kr^2}) \quad (50)$$

Where a is the scale factor, the Earth-bound observer is at $r = 0$ and at mathematical time $t = t_{then}$, observing the crest of light waves emitted at the distant location and mathematical time $r = R$ and $t = t_{now}$. This calculation assumes the expansion is only along the radial direction with the Sun at the origin, neglecting the slight Sun-to-Earth difference. For light, the physical time of emission is at the

boundary point at that location and set to zero, i.e., $d\tau = 0$. To trace the wave crest, Integrating (49) yields [18]

$$0 = c \int_{t_{then}}^{t_{now}} \frac{dt}{a} - \int_R^0 \frac{dr}{\sqrt{1-kr^2}} \quad (51)$$

When the light was emitted $t = t_{then} + \lambda_{then}/c_{then}$, the next wave crest seen by the observer is $t = t_{now} + \lambda_{now}/c_{now}$

$$0 = c \int_{t_{then} + \frac{\lambda_{then}}{c_{then}}}^{t_{now} + \frac{\lambda_{now}}{c_{now}}} \frac{dt}{a} - \int_R^0 \frac{dr}{\sqrt{1-kr^2}} \quad (52)$$

Subtracting (50) and (51) gives

$$\int_{t_{then}}^{t_{now}} \frac{dt}{a} = \int_{t_{then} + \frac{\lambda_{then}}{c_{then}}}^{t_{now} + \frac{\lambda_{now}}{c_{now}}} \frac{dt}{a} \quad (53)$$

The result allowing for the correct speed of light gives

$$\frac{\lambda_{now}}{\lambda_{then}} = \frac{a_{now} c_{now}}{a_{then} c_{then}} \quad (54)$$

Where $c_{now} = c_{\odot}$ and $c_{then} = c_{\odot} TFF^{-1}$, and the factor a_{then} is the scale at the distant location, and a_{now} is the scale at the Earth. Then

$$\frac{\lambda_{now}}{\lambda_{then}} = \frac{a_{now}}{a_{then}} TFF \quad (55)$$

therefore,

$$z+1 = \frac{\lambda_{now}}{\lambda_{then}} = \frac{a_{now}}{a_{then}} TFF \quad (56)$$

The factor a_{then} is the scale at the distant location, whereas the a_{then} is the scale at the Earth. Therefore, $a_{then} = 1$ and then $a_{then} = (z+1)^{-1} TFF$.

PART 2

3. Galaxy rotation

The rotation velocity of the galaxies does not decrease with stars' orbit distance from the center, as gravitation theories predict, but remains constant with radial distance. Zwicky [19] observed this while studying nebulas, and he argued that the fast rotation meant the stars would attain escape velocity, and thus nebulae could not exist, so there must be more mass than observed. This unseen mass became known as dark matter because it does not emit radiation and only interacts with gravitation. Rubin ref studied numerous galaxies and found they all behave similarly, exhibiting a flat rotation curve [20].

These observations have led to a century-long search for properties of dark matter. The dark matter could be dead stars, escaped planets, perhaps black holes, or a new subatomic particle, but nothing has been found. There also have been efforts to modify gravitation theory to explain the unusual rotation. Modified Newtonian Mechanics, MOND developed by Milgrom ref, has been found to reproduce the flat rotation curve measured for all galaxies but requires an extra adjustable parameter [21]. Gravitomagnetic by Ludwig fits the rotation curves but fails to produce the luminosity profile, and the disk fails to give its mass distribution and total mass [22]. There needs to be a satisfactory explanation of the dark matter.

Andromeda, our closest galactic neighbor, will be used to discuss the effect of the NOW's physical time's impact on galactic rotation because its measured properties, rotational velocity, and detailed photometry are well established. Rubin ref measured the rotation curve and found the curve to be flat, as opposed to that expected by gravitation theory [23,24]. De Vancouleur's ref photometry measurements of Andromeda are detailed compared to more distant galaxies.

3.1 Rotation data and analysis

The data used in the analysis of Andromeda are given in the three (Tables 1-3 and Figure 3). We take the nuclear region from the center to 8kpc and the disk region from 8kpc to 30kpc. These boundary conditions for the start and end of the disk are determined by the peak velocity in the fit to measured rotation data, seen in Figure 4, and the limit of visible matter, about 30kpc. This demonstration will be limited to the disk region since this disk region is where the gravitational predictions are the most pronounced. Rubin's disk region, ending at 27.5Kpc, is extended to 30Kpc, with measurements by (Roberts, Whitehurst) ref, to prevent the polynomial fit of Rubin's rotation velocity V_{rot} data from diverging prematurely [25].

A transformation factor, discussed in section 2.2, is applied to rotational V_{rot} to apply this NOW theory to the galaxy rotation. De Vancouleurs measured the B surface brightness in each squared arcseconds (SAS) region along the semi-major axis as a function of the distance from the galactic center in Kpc, given in Table 1, columns 1, the isophotes distance from the center, expressed in Kpc, and column 2, expressed in units of solar units per SAS. Each unit's contribution to the luminosity is from the stars within the boundary of the SAS unit. The space in the unit contributes nothing to the luminosity but to the densities if needed. To account for the space between stars in the SAS, the SAS is converted to pc^2 . De Vancouleurs provides the mass density in both SAS and pc^2 . The mass densities σ_M and σ'_M given by De Vancouleurs and included in Table 2 for both SAS and pc^2 .

TABLE 1
Andromeda measured data. De Vancouleurs Position along the semi-major axis in kpc given in column1 and column 2 the brightness, Square Arc-Sec (SAS). Rubins rotational velocity in column 3

R	σ_L	V_{rot}
Kpc	L_{Sun}/SAS	Km/sec
1	2	3
2.75	1360	196.3
5.5	615	248.8
8.25	530	264.5
11.0	270	261.1
16.5	70	239.2
22.0	20	228.0
27.5	5.5	230.0
30.0	---	230.0

TABLE 2
Conversion of SAS to pc^2 . Kpc position, mass density per SAS, mass density per pc^2 , and the ratio of minor to major axis, are given in columns, 1,2,3,4 respectively, in column 5 the conversion pc^2/SAS

R	σ_M	σ'_M	b/a	$b/a \times \sigma_M / \sigma'_M$
Kpc	M_{Sun}/SAS	M_{Sun}/pc^2		pc^2 / SAS
1	2	3	4	5
2.75	19800.	982	0.46	9.27
5.5	13700	492	0.34	9.33
8.25	9750	248	0.26	10.02
11.0	4650	130	0.26	9.30
16.5	2320	77.1	0.29	10.19
22.0	1390	44	0.30	9.32
27.5	700	29	0.30	7.24

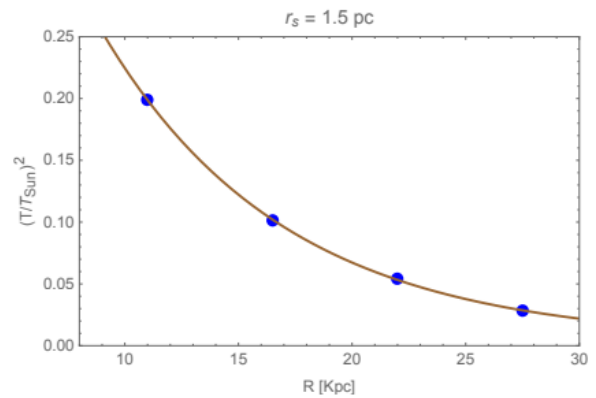


Figure 3) The transformation factor is given in Table 3, column 4 for each as a function of R Kpc column 1 measured value. The disk portion of Andromeda is fit to an exponential $0.0035 + 0.7665e^{-0.1243R}$, which is utilized in converting Rubin's rotation velocities

Thus, the ratio of the mass density accounts for the space in each unit. Therefore, the brightness conversion in Table 3 accounts for the space in the density calculations but contributes nothing to the luminosity. The conversion factor was obtained from (de Vancouleurs [24], Table 5, using columns 2, 3, 5, and 6) and shown in the first four columns in Table 2. When averaged over all isophotes, the result in column 5 yields the conversion, $9.24 \pm 0.48 pc^2/SAS$.

TABLE 3
Conversion of Rotation velocity. Kpc, Brightness/ pc^2 , Luminosity, TFF, in columns 1, 2, 3, 4, respectively. Column 5 transformed rotation velocities in Km/sec

R	σ_{Lsun}/pc^2	Lum (10^{38})	$(T/TSun)^2$	U_{rot}
Kpc	L_{Sun}/pc^2	watt	TFF	Km/sec
1	2	3	4	5
2.75	147.2	221.1	0.548	107.6
5.5	66.6	99.9	0.390	97.0
8.25	57.2	86.2	0.278	73.5

11.0	29.2	43.9	0.199	52.0
16.5	7.60	11.4	0.102	24.4
22.0	2.20	3.3	0.053	12.1
27.5	0.60	0.9	0.029	6.67
30.0	0.60	---	0.022	5.06

Rubin [23] indicates a typical Stromgren sphere [26] in Andromeda, which is the spherical influence of a star, appears to be several seconds of arc in diameter. The temperature of the star obtained from (15). with the radius of the Stromgren adopted to be $r_s = 1.5pc$ as suggested by Rubin.

Luminosity and temperature from Photoelectric Photometry measurements of Andromeda Galaxy are obtained from de Vaucouleurs and given in Table 3 in columns 1 and 2. These are the primary brightness data measured along the semi-major axes from the galaxy's center. The luminosity and the transforming factor are in columns 3 and 4, respectively. The measured rotation velocity, V_{rot} , in column 3, in Table 1, is from Rubin's Table 1, and the time flow corrected rotation velocity, U_{rot} , given in column 5 of Table 3. The entries for V_{rot} and U_{rot} were obtained as discussed in the text.

The resulting calculations are given in Table 3, column 5, and shown in Figure 4, where the NOW corrected rotation velocities U_{rot} for the disk region are shown in red. The best fit to the NOW corrected rotation velocity is

$$U(r) = \frac{404.85}{\sqrt{r}} - 72.08 \tag{57}$$

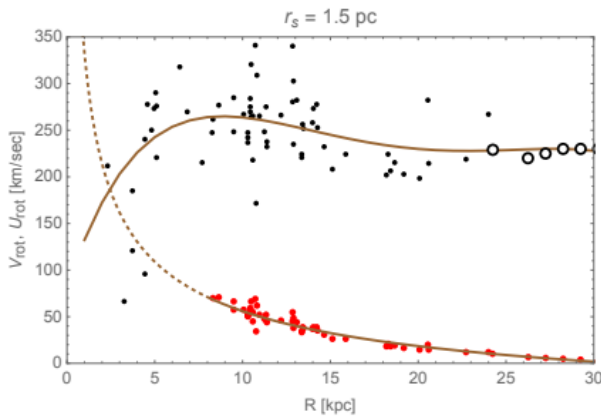


Figure 4) Measured V_{rot} Black, NOW corrected U_{rot} , Red. The black points are Rubins measured rotational velocities, the open data points are the extension to the measured data as described in the text. The Red points are the transformed point using the exponential fit given in Figure 3. The fit to the transformed velocities, red points, has the expected gravitational functional form $404.85/\sqrt{r} - 72.08$, the constant is the rate of the entire galaxy moving toward the Milky Way; see the text for more details

The red points in Figure 4 clearly show the correct gravitational behavior and the magnitude of the corrected rotation velocities is determined by the value of r_s , the Stromgren radius.

The black dots are the directly measured rotation velocity from Rubin's Table 1, and the open black circles are extended points discussed in the text. A 6th-order polynomial best fits the measured data, shown as a solid brown curve in Figure 4. The red dots are the point-for-point transformed rotation velocity described in the text.

The brown curve best fits the transformed population in the disk region. As can be seen, the fitting function has the expected gravitational dependence $404.85/\sqrt{r} - 72.08$, where -72.08 km/sec and represents the entire galaxy velocity moving toward the Milky Way. To see that the fit to the entire rotation produces the expected rotation and a linear velocity of -72.08 km/sec. The measured velocity of the entire M31 galaxy moving toward the Milky Way is -130 km/sec. When this is transformed, by 0.548, from Table 3 column 4, which is the only measured velocity undergoing minimal rotation, we get -71.24 km/sec. Close to the fit constant. 4.2 Mass of And

3.2 Mass of andromeda

The mass is determined from Rubin ref and De Vaucouleurs Isophote data [23,24]. Each Isophote has a unique rotation velocity, both as measured and after NOW transformed. Since each Isophote is consistent with the gravitation theory, as shown in Figure 4. The period of rotation of each Isophote is determined,

$$V_{period} = \frac{2\pi R(3.08 \times 10^{19})}{V \times 10^3} \tag{58}$$

And

$$U_{period} = \frac{2\pi R(3.08 \times 10^{19})}{U \times 10^3} \tag{59}$$

Where R from either Table 1, 2 or 3 Column 1, V in units of meter per second from Column 3 of Table 1, and U in units of meter per second from Column 5 of Table 3. These results are given in Figure 5.

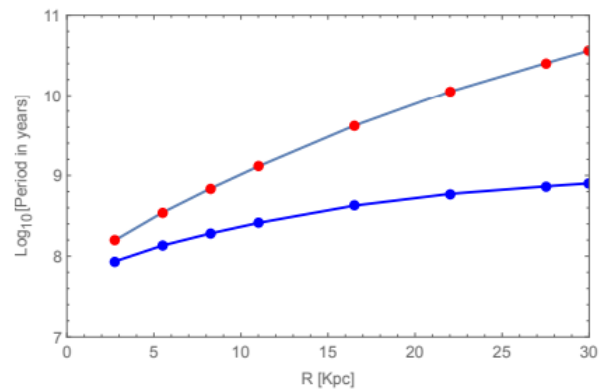


Figure 5) The Log of the rotation period as a function of each Isophote, shown in blue for the as-measured velocities and red for the NOW transformed velocities

From gravitational energy $(1/2)mV^2 = GMm/R$, the mass associated with each Isophote is given by

$$M_{R,V} = \frac{RV^2}{2G} \tag{60}$$

And

$$M_{R,U} = \frac{RU^2}{2G} \tag{61}$$

The total mass of M31 is

$$M_{M31} = \sum_{R=1}^{R=8} M_{R,V} \quad (62)$$

$M_{M31} = 6.82 \times 10^{11}$ Suns, with velocity as measured. This value includes dark matter since the velocity curve is flat in the disk. The NOW corrected velocity, which responds as expected from gravity theory, does not have dark matter and is given by

$$M_{M31} = \sum_{R=1}^{R=8} M_{R,U} \quad (63)$$

which is $M_{M31} = 5.2 \times 10^9$ Suns with velocity NOW transformed.

4. Hubble's law

Einstein's general relativity has a time-dependent solution that surprised its creator, whose philosophy was a forever unchanging universe. To overcome the time-dependent solution, Einstein modified general relativity by adding a term he called the cosmological constant designed to remove the time-dependent solutions. When Hubble's observation ref provided evidence that the universe was expanding, Einstein regretted the modification [27]. Hubble's law and the time solution to GR suggested to Lemaitre ref that the universe must have been microscopic in the distant past [28]. All the matter in the universe would come to a single point, containing the universe's total energy, and explodes forth, creating space, time, and the universe; this is now called the Big Bang. The first few moments of the universe must have been very hot, and as it expanded, it cooled, giving rise to a radiation field known today as the Cosmic Microwave Background (CMB). The CMB is thought to be the most substantial supporting evidence for the Big Bang. The Big Bang is a speculative idea based on Hubble's measurements by running Newton's mathematical time backward, even though no clocks can measure the progress. Once the Big Bang is established, the CMB naturally follows from the expansion. The CMB is thought to be a thermodynamic cooling effect based on speculation about the measured expanding universe.

To re-investigate Hubble's law with respect to the NOW time, I chose to use only the brightest galaxies, given by Frueh et al [29]. That work studied the "Photoelectric UBV Photometry of 179 Bright Galaxies. The criterion for the 34 galaxies list in Table 4 was also available in the NED IPAC database [30]. This ensured that all the measured parameters needed to implement the NOW time transfer factor, TFF were available for each galaxy. The data used in this analysis are given in Table 4.

TABLE 4
Hubble's law with respect to the NOW time

NGC	D	D0	vL_v	Z
---	Mpc	Kpc	$L_{Sun-Iob0} \times 10^{10}$	---
196	58.3	22.3	1.85	0.01319
331	70.4	29.8	2.97	0.01649
315	55.1	48.9	10.7	0.01648
410	62.5	39.3	10.8	0.01736
426	128	46.9	0.633	0.00760
502	33.8	11.2	0.633	0.00760
529	52.5	37.0	4.57	0.01190
661	27.4	14.4	1.71	0.00620

665	47.1	31.7	3.66	0.01822
677	67.0	41.1	3.36	0.01693
777	53.0	37.3	8.57	0.01673
794	113	42.3	8.80	0.02560
990	42.4	23.8	1.72	0.01319
1004	88.4	28.74	4.14	0.02159
1016	58.0	22.89	9.40	0.01210
1060	61.3	45.2	10.1	0.01390
1101	81.7	31.1	3.07	0.01850
1107	40.8	22.9	1.73	0.01107
1132	85.4	54.6	6.54	0.02313
1201	20.2	19.6	1.15	0.00562
196	63.85	23.1	1.85	0.01414
471	62.34	17.9	1.09	0.01375
1008	96.64	20.9	1.29	0.02179
1132	102.26	65.1	6.54	0.02313
2713	55.27	60.3	11.3	0.01299
3106	90.76	47.1	3.03	0.02065
3710	94.46	8.8	0.421	0.00436
3838	20.54	22.9	1.73	0.01107
5332	99.18	25.1	5.36	0.02240
6003	61.01	16.3	0.993	0.01350
6560	106.88	37.3	2.58	0.02349
7580	67.86	15.8	1.33	0.01480
7624	65.87	19.3	1.97	0.01426
7625	26.55	12.1	1.54	0.00543

The velocities of the selected bright galaxies are obtained from the redshift $v = z \times c$, and the best fit shows a slight downward-opening parabolic curve seen in Figure 6. A straight line fit to this data has an offset at the origin of $500.6 \text{ km sec}^{-1}$, and a Hubble constant is $H_0 = 64.2 \text{ km sec}^{-1} \text{ Mpc}^{-1}$, suggesting the fit is a higher order than one. The offset at the origin is not observed in Hubble's data. When a square term is allowed, and as seen in the fit, Figure 6 results and brings the origin value to -31.9 km/sec , near zero, as expected. The best fit is a parabola opening downward, as can also be seen in Figure 6. The Hubble Constant slowly changes with distance. The changes in the Hubble constant are given in Table 5, columns 1 and 2 in units of $\text{km sec}^{-1} \text{ Mpc}^{-1}$

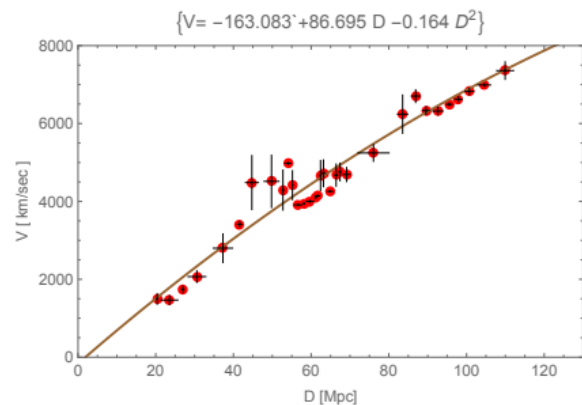


Figure 6) The red dots with xy standard deviation bars were obtained by a running average of two successive values. The red dots are the averaged points. The original points were obtained by $v = z \times c$ versus Mpc. The speed of light is assumed to be constant for this calculation. The best fit is a slightdownward-opening parabola

TABLE 5
Hubble's constant at three Mpc distances from Earth.

R Mpc	Hubble As measured	Hubble 10 ⁻¹⁰ NOW corrected
1	2	3
10	68.75	0.943
60	74.14	1.399
120	65.66	0.478

To determine the effect of the NOW time the transform factor *TFF* is first determined. Equation (15) determines the temperature and (8) determines TFF. The effective temperature, uses the galaxy's luminosity and radius, the radius of the galaxy is half of the semi-axes $R = D0/2$ given in Table 4, and the effective temperature of each galaxy is obtained by

$$T_{eff} = \left(\frac{\nu L_{\nu}}{4\pi(R3.0810^{19})^2 \sigma} \right)^{1/4} \tag{64}$$

where σ is the Stefan- Boltzmann constant. The transform factor, *TFF*, is then

$$TFF = \left(\frac{T_{eff}}{5770} \right)^2 \tag{65}$$

To determine how to make the NOW corrections, we start with the Robertson-Walker metric (50) and factor the d^2 term because we are interested in the velocity as opposed to the gravitation effects, thus

$$d\bar{t}^2 = dt^2(1-a(t)^2 \left(\frac{1}{1-kr^2} \right) \frac{1}{c^2} \left(\frac{dr}{dt} \right)^2) = 0 \tag{66}$$

For a photon $d\bar{t}^2 = 0$ then it follows,

$$(1-a(t)^2 \left(\frac{1}{1-Kr^2} \right) \frac{1}{c^2} \left(\frac{dr}{dt} \right)^2) = 0 \tag{67}$$

Solving this for the velocity factor V/c . The speed of light (27) and time derivative (7) must be correct for the NOW time.

The transformed TFF enters twice,

Where the velocity $V = \frac{dr}{dt}$, is the Hubble measured velocity shown in Figure 6 and the NOW corrected velocity *U* is

$$U = V \times TFF^2 \tag{68}$$

The effect of the NOW time is obtained by multiplying each velocity point in Figure 6 by the *TFF*² to obtain the NOW corrected velocities *U*, and are shown in Figure 7.

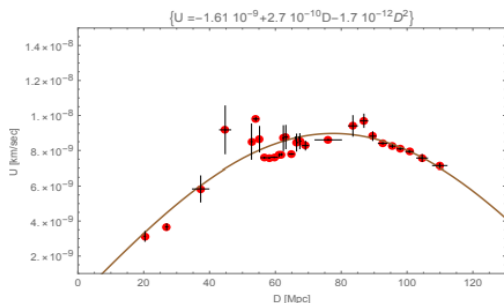


Figure 7) The Hubble's expansion is reduced by about 12 orders of

magnitude from the Hubble measured values, and the downward opening parabola is accentuated by the NOW time correction.

Table 5, columns 1 and 3. gives the Hubble Constant in units of km sec⁻¹ Mpc⁻¹ after the NOW time correction. The velocities *U* are twelve orders of magnitude slower than Hubble measured, which suggests the big bang did not happen as thought, and suggests a different structure of the universe. Its downward progression is a strong argument against an accelerating universe and dark energy and will easily account for the distant galaxy observed by the James Webb Space Telescope. If the Big Bang did not happen, then what is the CMB?

4.1 New interpretation of the CMB

The CMB SED spectrum indicates that an Energy density *u* exists everywhere in the universe. The energy density is obtained from the SED spectrum by dividing it by the speed of light. The mean temperature of the CMB is 2.726K. Thus, the energy density is

$$u = \frac{\sigma(T_{CMB})^4}{c} = 1.044 \times 10^{-14} \text{ joule/m}^3 \tag{69}$$

For this speculation, the constant Earth value of the speed of light will be used. Whereas for a detailed calculation of distant galaxies, the transformed speed of light would need to be used. It is well known, from thermodynamics and from Einstein's, $E = mc^2$, that energy does not have a fixed "form" [7]. It can change if the effective amount remains constant. For example, potential energy can be converted to kinetic energy and kinetic energy to heat energy. This new interpretation of the CMB postulates that the CMB energy (69) is converted to the Hydrogen atom's mass-energy. The physics of CMB energy conversion will be left for future study.

The energy of the Hydrogen atom is $E_H = 938.8 \times 10^6 \text{ eV/H} = 1.504 \times 10^{-10} \text{ joule/H}$. Using (69), this equals $E_H/u = 1.418 \times 10^4 \text{ meter}^3/\text{H}$. For this calculation, it is assumed that $TFF \approx 1$, so the $c = c_{\odot}$ in (69). With this approximation, the Milky Way estimates the hydrogen production rate. For example; the Milky Way volume at about $1.7 \times 10^{13} \text{ Lyr}^3$, or $1.44 \times 10^{61} \text{ meter}^3$ which we adopt. This indicates sufficient energy to yield approximately 1.0×10^{57} atoms and thus a mass production is $1.67 \times 10^{-27} \text{ kgm/Atom} \times 1.0 \times 10^{57} \text{ Atoms} = 1.7 \times 10^{30} \text{ kgm}$ which is, within the approximation, the mass of the Sun. How long does it take to produce this mass? The estimated star production rate in the Milky Way [31] is approximately one Sun every half year, about 183 days, which requires 1.0×10^{57} atoms/183 days. Therefore, the vacuum energy in the Milky Way is sufficient within the confines of the Milky Way to produce two suns each year.

The replenishment of Hydrogen in galaxies happens randomly throughout the universe and, over long periods, newly created hydrogen migrates into clouds within which stars are formed.

A similar process is happening in all galaxies throughout the universe. Therefore, Hydrogen is being replenished continuously everywhere in the universe. If hydrogen replenishment were not available, the universe would slowly grow dark and end as a dark cinder of the heavier elements, which forms as the stars live and die.

Hydrogen replenishment in galaxies happens randomly throughout the universe and, over long periods, newly created Hydrogen migrates

into clouds within which stars are formed. A similar process is happening in all galaxies throughout the universe. Therefore, Hydrogen is being replenished continuously everywhere in the universe. If the universe is finite, Energy taken from the CMB reduces the energy density, thus lowering the CMB energy content. In a finite steady-state universe that is eternal, this process continues forever. Hence the CMB must recover the lost Energy. This recovery could be continuous from the quantum zero-point energy or the cosmological constant [32].

Another possibility; is if an infinite steady-state universe is envisioned. It can be argued that removing finite amounts of energy from the infinite CMB does not alter the “infinite status” of the CMB; it remains infinite. Thus, there is an eternal process of life and death of stars in the universe instead of an initial beginning and ultimate death; therefore, the universe is continually being created by its eternal maintenance. In time, the contribution of Hydrogen from the CMB maintains existing galaxies and creates new galaxies by creation in intergalactic space.

In this interpretation of the CMB, one can entertain the philosophy that with the eternal increase of stars and galaxies, an increase in planets will soak up the ever-increasing heavy elements and eternal increase in life forms, thus maintaining an even balance of atomic elements.

Criticisms of the Big Bang can also apply to this speculation. However, there is one main difference, the CMB is directly measurable, whereas the Big Bang is not. So, we conclude that the universe is continuously being created by its maintenance from the vacuum energy. It did not exist in one big flash and would not end in a whimper. Those who prefer to imagine an infinite and eternal divinity that created the universe can imagine the eternal divinity forever, creating and maintaining the universe.

5. Pioneer anomaly

Another anomaly within the Sun’s system: The Pioneer 10 and 11 Spacecraft (SC) were designed to probe the outer planets of our solar system. In 1998, Anderson reported that when the solar radiation pressure had decreased sufficiently at about 20 AU from the Sun, an unexpected constant acceleration of $(8\pm 3) \times 10^{-10} \text{ m/s}^2$ directed toward the Sun was found to be the most significant systematic error [33-35].

There have been many attempts to explain the anomaly, ranging from new physics to engineering anomalies on the spacecraft. Dittus ref and Turyshev ref and references therein reexamine all measured data from Pioneer’s mission [36,37]. Anderson ref critiqued many possible explanations; see the references therein [38]. This section adds to the new physics category as a possible explanation; It can be explained by the introduction of the NOW time.

To obtain Doppler data for the Pioneer SC, the Deep Space Network (DSN) was used to send a reference frequency to the SC that was then sent back to the DSN by an onboard transponder. This allowed detailed tracking of the SC.

5.1 Implementation

The SC is tracked through the Deep Space Network (DSN), where reference frequency is sent to the SC and then returned to the DSN

by the SC. That data is compared to the theoretical calculation of the SC position and velocity. If they match, then

$$[v_{obs}(t) - v_{model}(t)]_{DSN} = 0 \tag{70}$$

If we know all effects that influence the SC, we can set the SC returned frequency, $v_{obs}(t) = v_{model}(t)$. However, if the observing $v_{model}(t)$ is not correct, let us write $v_{obs}(t) = \tilde{v}_{model}(t)$, where $\tilde{v}_{model}(t)$ is the observed frequency in which something is missing, this is indicated by a \sim over a quantity. Then (70) can be written in terms of an unknown acceleration integrated over time

$$[\tilde{v}_{model}(t) - v_0]_{DSN} = v_0 \frac{2a_p t}{c} \tag{71}$$

where the Doppler frequency is given by

$$\tilde{v}_{model}(t) = v_0 (1 - 2 \frac{\tilde{V}_{model}}{c}) \tag{72}$$

Inserting (72) into (71) yields

$$-v_0 \frac{2\tilde{V}_{model}(t)}{\tilde{c}} = v_0 \frac{2a_p t}{c} \tag{73}$$

The LHS is a quantity at the distant location of the SC, thus needing the NOW correction. The RHS is constructed on Earth after the information is returned to the DSN; the NOW correction factor on Earth is 1 and does not change the quantity. Time, t is the mathematical time Newton defines and determines by a clock; the difference between the Newton-defined time and the NOW-defined time is the clock’s rate. The brightness at the location of the NOW determines the difference. Finally, the anomalous acceleration can be expressed as

$$a_p = - \frac{\tilde{v}_{model}(t) c}{t \tilde{c}} \tag{74}$$

Where expressing \tilde{c} as given in (27). Approaching the problem this way gives the correct sign, i.e., the anomalous acceleration is pointed toward the Sun opposite to the direction the SC travels.

5.2 Applying the NOW theory

In this application, the Sun is unchanging, but we need to know the physical process on a distant SC; thus, the local NOW on the SC needs to be determined compared to the NOW on Earth. This is done using the apparent brightness at the SC compared to the Earth’s value and will be called B instead of TFF since it is due to the change in the distance to the Sun and not due to independent, bright sources. The brightness, as obtained from the Flux, diminishes by the distance from the Sun due to the apparent angular radius of the Sun viewed at a distance of r. The angular radius can be obtained by a ratio of that seen on Earth to that seen at a distance r from the Sun and is given by

$$\theta(r) = \sin^{-1} \left(\frac{R_{Sun}}{r} \right) \tag{75}$$

The Sun radius and the distance to the SC are expressed in astronomical units, $R_{Sun} = 4.7 \times 10^{-3} \text{ Au}$; therefore, $\sin(\theta(r)) = (4.7 \times 10^{-3})/r$. The Flux from the Sun at a distance r is obtained from the intensity, I_v , which is the SED of the Sun, by integrating the solid angle

$$F(r) = I_v \int_0^{2\pi} d\phi \int_0^{\theta(r)} \sin(\theta) \cos(\theta) d\theta \tag{76}$$

Let $x = \sin(\theta)$ and $dx = \cos(\theta)d\theta$,

$$F(r) = 2\pi I_v \int_0^{\sin(\theta(r))} x dx \tag{77}$$

$$F(r) = \pi I_v \sin^2(\theta(r)) \tag{78}$$

$$F(r) = \pi I_v \left(\frac{4.7 \times 10^{-3}}{r}\right)^2 \tag{79}$$

The intensity I_v is an intrinsic property of the Sun and does not depend on distance. Therefore, the intensity cancels out when the relative brightness B , is formed,

$$B = \frac{F(r)}{F(1)} = \left(\frac{\frac{4.7 \times 10^{-3}}{r}}{\frac{4.7 \times 10^{-3}}{1}}\right)^2 = \frac{1}{r^2} \tag{80}$$

$F(1)$ is the Flux on Earth at $1AU$ from the Sun. Applying the transform factor to both the velocity and the speed of light as

$$\tilde{v} = vB \tag{81}$$

$$\tilde{c} = cB^{-1} \tag{82}$$

Combining (81) and (82) with (74) gives the final result, which is the anomalous acceleration in the NOW theory of time instead of the Newton theory of time

$$a_p = -\frac{V_{\text{model}}}{t} B^2 \tag{83}$$

The pioneer 10 data in Table 6 were obtained from HelioWeb [39]. The transform factor for the NOW time theory and the anomalous acceleration is given in Table 7. The average of column 4 of Table 7 gives the value for the anomalous constant acceleration, 7.3×10^{-10} m/sec², which compares well with the expected value of $8. \times 10^{-10}$ m/sec² given by Anderson [33]. This can be improved somewhat if we assume a few of the onboard contributions, which seem reasonable, as listed in Table 8, assuming positive values. In that case, they average to 0.82×10^{-10} m/sec², thus bringing the total to 8.12×10^{-10} m/sec² well within the given uncertainty for the anomalous acceleration. Others have considered time, e.g., It was found by Laing, using CHASMP, that a steady frequency drift of about -6×10^{-9} Hz/sec [40]. Ranada ref has considered time acceleration as a possible answer linking it to the universe expansion [41]. Anderson ref ruled that out because if there were a steady drift in the atomic clocks of the DSN or time reference standard, all clocks would change with constant acceleration [35]. That would be true for Newton’s mathematical time since mathematical time is independent of external influences. In Anderson, a careful look at the graph’s large “day end” shows two small but distinct oscillations, each a year-long, suggesting the Earth’s orbital motion is affecting the result, which is consistent with the NOW time [35-44].

TABLE 6
Data from HelioWeb [39]. The data used in the calculation are: The year is given in column 1, in 2 the interval in days, in column 3 the distance in AU traveled in the time interval distance given in 2, and 4 the time in seconds to travel the distance listed in 3. In column 5, the SC velocity in meters per second, and in column 6 is a measure of anomalous acceleration in the Newtonian time system

Year	ΔDay	Δr	t	V	V/t
---	---	AU	10 ⁶ sec	10 ⁴ m/sec	10 ⁻³ m/s ²

1	2	3	4	5	6
1985	50.	0.38	4.32	1.31	3.03
1990	50.	0.36	4.32	1.25	2.89
1995	50.	0.35	4.32	1.21	2.80
2000	50.	0.35	4.32	1.20	2.78

TABLE 7
Column 1 is the year, 2 is the AU distance from the Sun, and 3 is the transform factor, in column 4 is the anomalous acceleration at each position

Year	r	B ²	a _p = V B ² /t
	AU	10 ⁻⁸	10 ⁻¹⁰ m/sec ²
1	2	3	4
1985	34.68	69.14	20.94
1990	48.37	18.27	5.28
1995	61.37	7.05	1.97
2000	74.52	3.24	0.901

If GR equation (43) to (49) were used to develop the position and velocity. the result in table 7 column 4 should be obtained. Therefore, it suggests that the Helioweb data is not correct

TABLE 8
Effects generated by the operation of the SC that seem most reason- able. Each effect is assumed to contribute a positive effect to the anomalous acceleration

Onboard Acceleration	10 ⁻¹⁰
Radio beam reaction force	0.11
RTG heat reflected from the SC	0.55
He expelled from RTG	0.16

CONCLUSION

The foundation of modern physics was determined by Newton. He defined both space and mathematical time. In this work, we questioned the foundation of both space and time; neither has been reviewed since Newton defined them, even though philosophers have looked for better definitions. Einstein found that space and time are linked into a four-dimensional space called space-time, and due to the speed of light, thought to be a universal constant. Both space and time are measured differently by observers moving relative to each other and or in different gravitational fields. However, observers still use mathematical time read on calibrated and synchronized clocks within each reference frame, as Newton defined. We question if a measure of time defines time and decide it leaves out something meaningful. Newton recognized that time flowed and defined it as a universal constant that is the same everywhere in the universe, but he did not define it. We find that time has the most significant effect on astrophysics and cosmology, so we have concentrated on the definition of time. The space part of the foundation of physics is not included in this work; it has been published elsewhere. Parts of this paper have been published ref, and represent early thoughts. Over the last century, much work has been done to define and understand the broader universe, and numerous anomalies inconsistent with gravitation theory have been observed. There have been numerous attempts to modify physical theories to make them fit the observations. In this work, we find that the definition of time is the biggest problem; defining a physical time instead of a mathematical time eliminates many of these anomalies. The problem

comes down to the interpretation of measurements. With an appropriate definition of physical time, galaxies rotate as expected from existing gravitation theory. The speed of light is not a universal constant as thought. Hubble's law is modified, which suggests the Big Bang may be just another anomaly, and that suggests the CMB needs to be reinterpreted, which we do. Finally, we find a solution to the Pioneer space-craft anomalous acceleration.

In the introduction of this work, it was said the foundation of physics defined by Newton was responsible for many of the effects in cosmology that are not explained by existing physics. We have shown that a minor change in one property of Nature will explain six independent and previously unexplained phenomena. At first, I thought this was surprising. However, this single property is a significant part of the foundation of all modern physics, science, and civilization.

Time has never been defined; only times measurement has been offered, and measuring any quantity is not a true definition of that quantity. We have seen this with gravity; Newton provided a measure of gravity, its force that moves masses. Einstein showed that energy alters the geometry of space-time and has brought us closer to a definition of gravity. However, we have yet to arrive since gravitation and quantum mechanics still need to be reconciled. However, the space part of the foundation of physics has potentially provided a connection, see Longo ref, which has been published elsewhere and was not considered in this paper ref. Some thoughts on how this theory might be falsified. The results quoted herein are strongly dependent on astronomical measurements. For distant galaxies, it needs to be clarified how the peak of the SED of distant galaxies is determined. If that problem can be solved, the Big Bang, the CMB, and Dark Energy might be revisited. Dark matter is less of a problem, at least for the Andromeda galaxy, because the photometric measurements were more readily attainable and more detailed. One can hope the new James Webb Space Telescope can add photometric clarity for more distant galaxies.

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